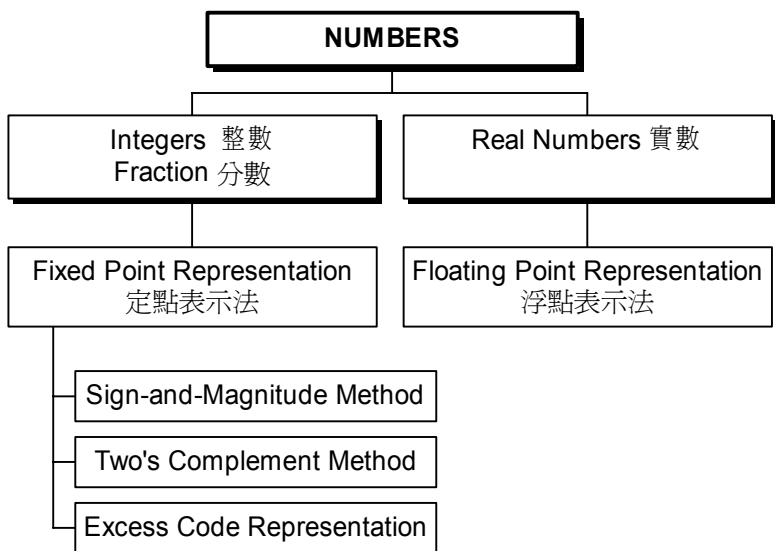


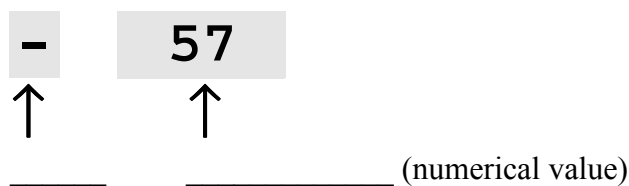
FORM 4 COMPUTER STUDIES
Chapter 6: Fixed Point Representation Of Numbers
 March, 01

6.1 CODING DIFFERENT TYPES OF NUMBERS

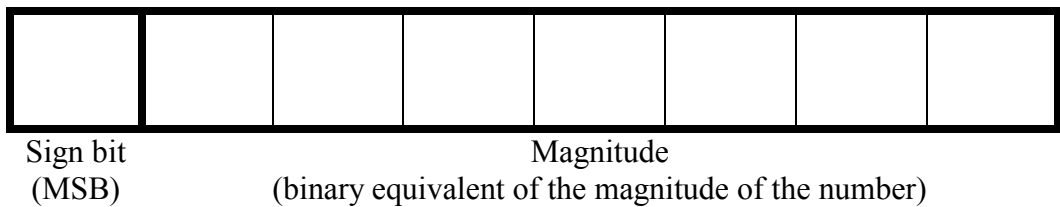


6.2 SIGN-AND-MAGNITUDE METHOD

- the negative denary number -57 can be separated into two parts:



- In the sign-and magnitude method,



- e.g.

Binary	Denary
00000010	+2
10000010	-2
10001000	-8
00001000	+8

- e.g. Using Sign-and-Magnitude coding and 8-bit binary code, express the following number's:
 - (a) +28
 - (b) -36

<i>Step 1: Convert the magnitude of the number into binary</i>	
(a) 28 = 11100	(b) 36 = 100100
<i>Step 2: Add leading zero's until the binary code contains 7 bits</i>	
<i>Step 3: Add "0" (when positive) or "1" (when negative) to the binary code as MSB</i>	

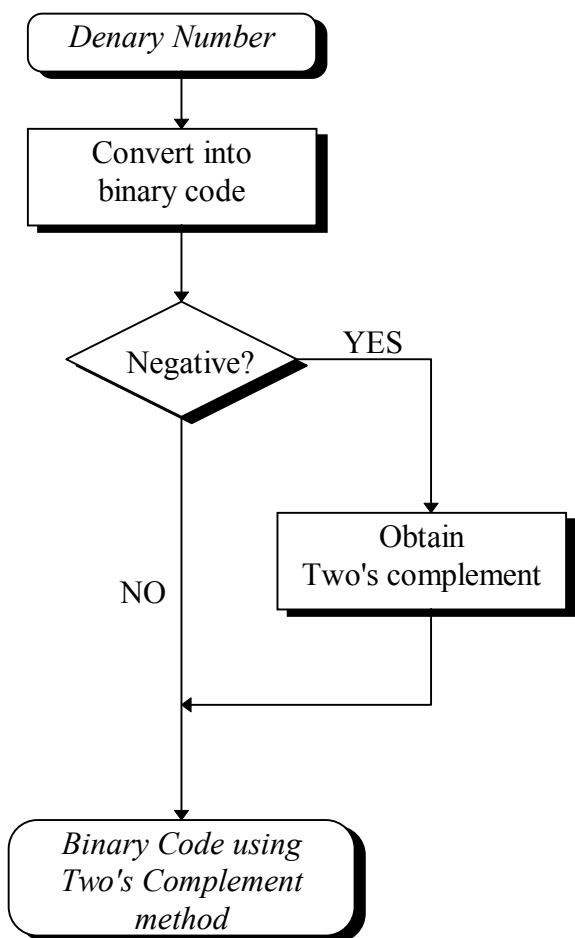
6.3 TWO'S COMPLEMENT METHOD

6.3.1 *Algorithm of changing from a positive binary code to its negative in two's complement*

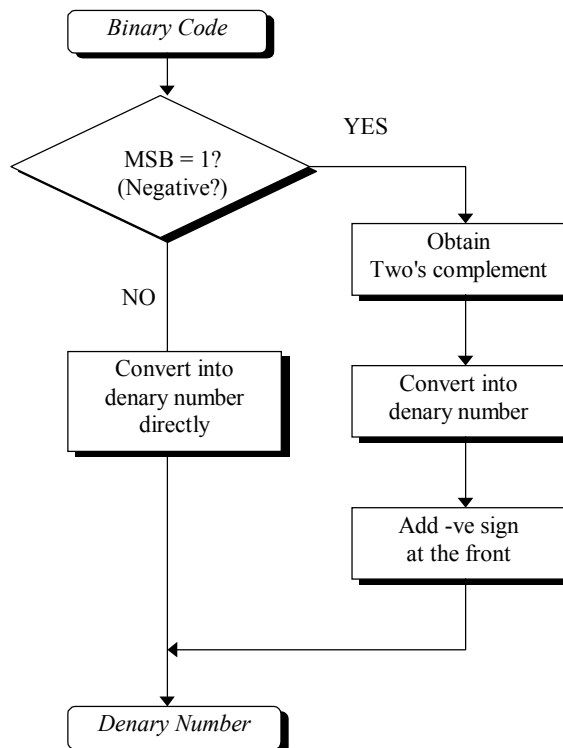
Step 1: Invert all the bits (i.e. change all 0's to 1's and all 1's to 0's)

Step 2: Add the resulting binary code by 1

Convert an denary number into its 8-bit binary code using two's complement representation



Convert the two's complement code into the corresponding denary code



6.3.2 Two's Complement Representation Binary Arithmetic

■ The following four examples show binary addition and subtraction in an 8-bit word. Subtraction is carried out by negation-and-addition, i.e. $x - y = x + (-y)$

(a)
$$\begin{array}{r} 50 \\ - 83 \\ \hline \end{array} \quad \begin{array}{r} 00110010 \\ + 10101101 \\ \hline \end{array}$$

(correct / incorrect)

(b)
$$\begin{array}{r} 50 \\ + 83 \\ \hline \end{array} \quad \begin{array}{r} 00110010 \\ + 01010011 \\ \hline \end{array}$$

(correct / incorrect)

(c)
$$\begin{array}{r} 83 \\ - 50 \\ \hline \end{array} \quad \begin{array}{r} 01010011 \\ + 11001110 \\ \hline \end{array}$$

(correct / incorrect)

(c)
$$\begin{array}{r} - 83 \\ - 50 \\ \hline \end{array} \quad \begin{array}{r} 10101101 \\ + 11001110 \\ \hline \end{array}$$

(correct / incorrect)

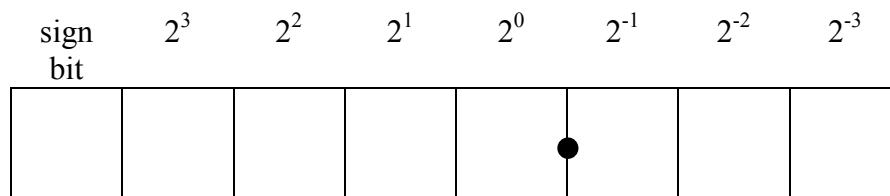
- The results of cases (b) and (d) are (correct / incorrect) . They are examples of _____ error. This means that the result is outside the range of numbers that can be represented.

6.3.3 Two's Complement Representation vs. Sign-And-Magnitude

	<i>Two's Complement</i>	<i>Sign-and-Magnitude</i>
<i>Range (8 bit)</i>	-128 to +127	-127 to +127
<i>Advantage</i>	Subtraction can be performed by addition. Hence common circuit can be used.	Simple and easy to understand
<i>Disadvantages</i>	More difficult to understand	Sign bit and the magnitude parts are handled separately Design of the circuit used for addition and subtraction is more complicated
<i>Note</i>	“Zero” has only ONE representation 00000000.	“Zero” may have two different representations 00000000 and 10000000.

6.4 BINARY FRACTION

- Binary point may be fixed at and desired position within the word
- e.g. Assume the binary point is fixed between bits 2 and 3 in an 8-bit word. Sign-and-magnitude coding is used.



- Example: Express (a) 01100.110_2 and (b) 10011.001_2 in decimal.

(a)	(b)
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